

Main Claim: Gradient Symbolic Representations

- Phonological elements can have different **degrees of presence** in an underlying representation, expressed as numerical activities (Smolensky and Goldrick, 2016; Rosen, 2016; Faust and Smolensky, 2017).  
(Cf. Rhodes (2012); Inkelas (2015); Vaxman (2016a,b) for similar concepts of 'strength')
- Elements may retain their **weak activity in the output (=GSRO)**. The evaluation of markedness constraints can hence be influenced by different activities as well
- Harmonic Grammar** where constraints are weighted (Legendre et al., 1990; Potts et al., 2010)

	$Y_1 Z_{0.6}$	Z!	MAX	*YZ	DEP	H
a.	$Y_1 Z_{0.6}$	-0.4		-0.6		-6.4
b.	$Y_1 Z_1$			-1	-0.4	-4.8
c.	$Y_{0.5} Z_1$		-0.5	-0.5	-0.4	-6.8
d.	$Y_1$	-1	-0.6			-14.8

MAX Assign violation X for any activity X in the input that is not present in the output.  
DEP Assign violation X for any activity X present in the output but not in the input.  
\*M Assign violation X for activity X of structure M.  
M! Assign violation X for activity X that the output structure lacks to M.

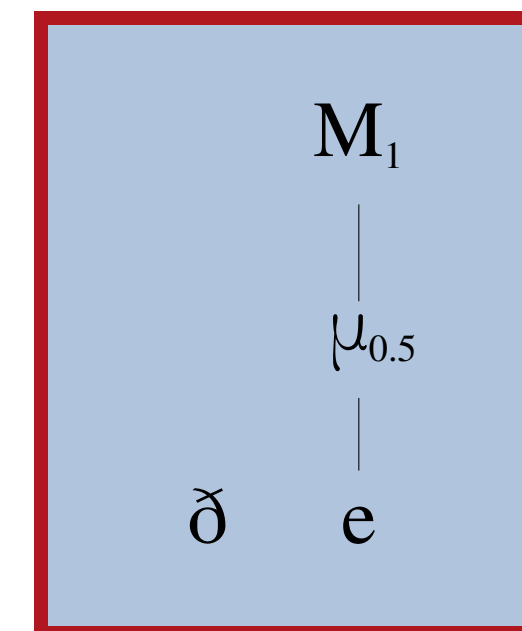
Case study 1: Exceptional non-hosts

- 'perturbing' morphemes trigger a tonal change on a following morpheme: **floating tones** (D1+D2+D3)
- some morphemes are exceptional **non-hosts for a floating H-tone** if the preceding morpheme ends in H (D4)
- not a regular phonological ban on \*HH (D5+D6)

	Morpheme 1	Morpheme 2	Surface
D1.	kəbə <sup>(H)</sup> 'day'	biko 'fiesta'	kəbə bíko
D2.	k <sup>w</sup> aʔa <sup>(H)</sup> 'many'	sùtʃí 'children'	k <sup>w</sup> aʔa sútʃí
D3.	nuʃi <sup>(H)</sup> 'bean'	-ðe 3.MHON	nuʃiðé
D4.	βáá <sup>(H)</sup> EMPH	-ðe 3.MHON	βááðe
D5.	βáá <sup>(H)</sup> EMPH	-tí <sup>(H)</sup> 3.ANIM	βáátí
D6.	ʃini <sup>(H)</sup> 'head'	tʃiʔí 'skunk'	ʃini tʃiʔí

Analysis:

- some  $\mu$ 's have an activity lower than 1: they are **weak hosts for a floating tone** (=imperfect solution for  $T > \mu$ )
- association to a weak host is **not a good enough reason to tolerate an OCP-violation**



San Miguel el Grande Mixtec  
(Otomanguan; Southern Mexico)  
Sources: Pike (1944, 1948); Mak (1950); McKendry (2013)

Threshold effect in HG for weak hosts:

Weight of ... is greater than the weight of ...

$T > \mu$	$\gg$	OCP + MAXT (cf. T1.)
OCP + MAXT	$\gg$	$0.5 \times T > \mu$ (cf. T3.)

T1. OCP and strong TBU

	$H_1 H_1 + L_1$	$T > \mu$	OCP	MAXT
	(D2.)	60	24	10
a.	$H_1 H_1 L_1$	-1		-60
b.	$H_1 H_1$	-1	-1	-34

T2. Floating H on weak host

	$M_1 H_1 + M_1$	$T > \mu$	OCP	MAXT
	(D3.)	60	24	10
a.	$M_1 H_1 M_1$	-1		-60
b.	$M_1 H_1$	-0.5	-1	-40

T3. OCP and weak TBU

	$H_1 H_1 + M_1$	$T > \mu$	OCP	MAXT
	(D4.)	60	24	10
a.	$H_1 H_1 M_1$	-1		-60
b.	$H_1 H_1$	-0.5	-1	-64

GSRO: Predicted typology of lexical exceptions

Activation scale of phonological elements:

UNDERLYING	PHONOLOGY	OUTPUT	GSR	GSRO	
a. Exceptional repair: Weak element not realized	*□○		✓	✓	e.g. Nuuchahnulth: unstable C's not realized if a marked syllable would result (Kim, 2003)
b. Exceptional repair: Weak element realized	*□□		✓	✓	e.g. Catalan: some stems exceptionally avoid adjacent sibilants by realizing /u/ (Bonet et al., 2007)
c. Exceptional non-trigger: Weak element not repaired	*□○		✗	✓	e.g. Classical Manchu: Some vowels do not trigger otherwise regular ATR-harmony (Smith, 2017)
d. Exceptional non-target: Weak element does not change	*■		✗	✓	→ MIG, case study 1
e. Lexical support	*WEAK!		✓	✓	e.g. Japanese Rendaku: voicing only if stem and suffix trigger it; GSR analysis in Rosen (2016)
f. True competition	ONEELEMENT!		✓	✓	e.g. Moses Columbian Salish: 2 suffix- and 4 stem-types compete for stress (Czaykowska-Higgins, 1993) → MIG, case study 2

Case study 2: Exceptional tone patterns on /-jo/-ro/

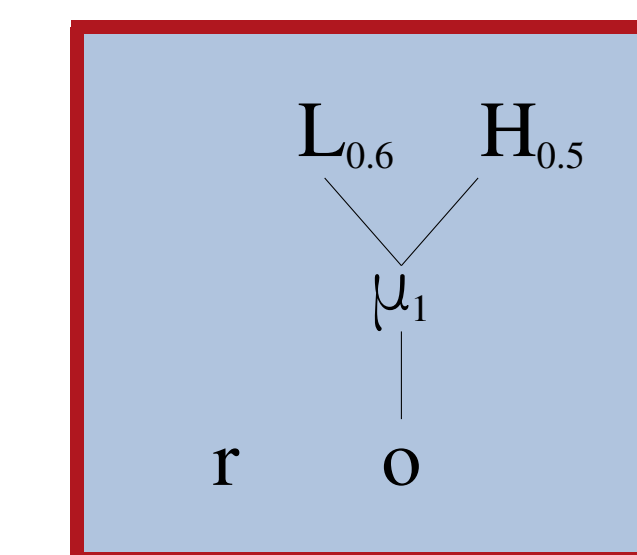
- /-jo/ ↔ 1.INCL and /-ro/ ↔ 2 alternate between **H, M, and L** depending on the preceding morpheme
- e.g. /hini-jò/ 'know', /sáʔa-jó/ 'make', and /kee-ro/ 'eat'

/jo/ro/ after...	surface
R1. L#	L
R2. H#	L
R3. L(H)#	L

/jo/ro/ after...	surface
R4. M(H)#	M
R5. M#	H
R6. H(H)#	H

Analysis:

- /jo/ro/ associated to **two weakly activated tones**  $L_{0.6}$  and  $H_{0.5}$
- $L_{0.6}$  preferred over  $H_{0.5}$ : better for  $T > \mu$  (exception: if the marked sequence \*ML would result)
- $L_{0.6}$  and  $H_{0.5}$  are not ideal for SPEC: **spreading of a stem tone is preferred** but blocked for final tones by  $DEP_{FIN}$



T4. Spreading of stem-final H

	$H_1 H_1 L_{0.6} H_{0.5}$	SPEC	$DEP_{FIN}$	*LNGT	MAXT
	(R6.)	70	19	15	10
a.	$H_1 H_1 L_{0.6}$	-0.4		-0.5	-33
b.	$H_1 H_1 H_{0.5}$	-0.5		-0.6	-41
c.	$H_1 H_1$		-1	-1.1	-26

T5. Preference for realizing  $L_{0.6}$

	$H_1 + L_{0.6} H_{0.5}$	SPEC	$DEP_{FIN}$	*LNGT	MAXT
	(R2.)	70	19	15	10
a.	$H_1 L_{0.6}$	-0.4		-0.5	-33
b.	$H_1 H_{0.5}$	-0.5		-0.6	-41
c.	$H_1$	-1	-1	-1.1	-45

Summary: Tones of /jo/ro/

Spread: non-final T	No spread: final T
R3. $L_1 H_1$	R1. $L_1 L_{0.6}$
R4. $M_1 H_1$	R2. $H_1 L_{0.6}$
R6. $H_1 H_1$	R5. $M_1 H_{0.5}$