

Getting weaker across layers:  
The tonal phonology of Shona without stratal  
re-ranking

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## Main claim

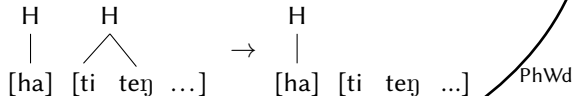
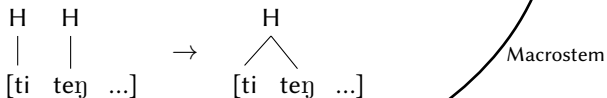
- ☛ Harmonic Layer Theory where phonological elements can get incrementally stronger/weaker at every optimization cycle predicts inter-stratal conspiracies from **a single phonological grammar**
- ☛ The theory is **more restrictive** than alternatives based on multiple grammars within a language and makes testable empirical predictions:
  - P1 Monotonicity of phonological changes across strata
  - P2 Consistency of strength in a given stratum
  - P3 Pervasiveness (and cyclicity) of Cooperation
- ☛ It further strengthens the arguments for **Gradient Symbolic Representations** in phonology.

1. Shona: A challenge for a single phonology?
2. Harmonic Layer Theory
  - 2.1 Background assumptions
  - 2.2 A HLT account of Shona
3. Discussion

## Shona: A challenge for a single phonology?

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## The riddle in a nutshell: Inter-stratal conspiracies in Shona



- the same marked structure – adjacent H's – is **resolved differently in different morphological contexts**

## Background on Shona

- ☞ a Bantu language spoken in Zimbabwe
- ☞ all data taken from the Zezuni dialect and taken from ? and ?
- ☞ syllables (=the tone-bearing unit; TBU) can be high-toned (=V́) or low-toned (=V)
- ☞ L-tones are taken to be (underlyingly) absent/inserted later

(1)    í bangá  
       '*(it) is a hoe*'

H	H
i	ba    nga

# Domains in Shona

different **morpho-syntactic domains** are relevant for the phonology

(2) Domains in verbal units, given in ?

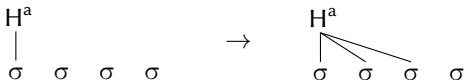
(stem)	root+suffixes
① [macrostem]	optional prefixes (Obj, Subj/Tns <sub>Subj/Part/Neg</sub> )+stem
② {phonological word}	optional clitics (e.g. copula, remaining inflection)+macrostem
③ phrase	

(3) {[há]-[ti-(teng-es-e)]}  
HORT-1PL/SUBJ-buy-CAUS-FV  
'let us sell' (? , 870)

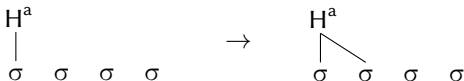
(4) {[ku]-[(téng-és-á)]} {[sádza]}  
INF-buy-CAUS-FV porridge  
'to sell porridge' (? , 862)

## The relevant phonological processes: Avoidance of tone-less (=L-toned) TBU's

(5) Spreading to two following TBUs (=H2S)



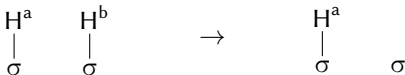
(6) Spreading to one following TBU (=H1S)



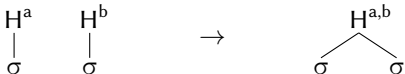


## The relevant phonological processes: Avoidance of two adjacent H-tones (=OCP)

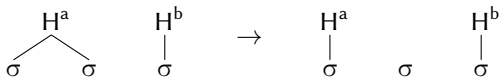
(7) Deletion of the second H (=Del)



(8) Fusion into one (=Fus)



(9) Retraction of a multiply associated first tone (=Retr)



## Stratal Differences: Overview

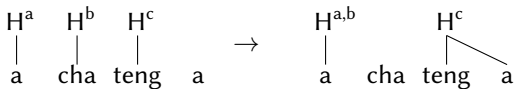
(10)

	H-spread	OCP avoided by:
① [Macrostem]	H2S	No H-spreading/Retr > Fus
② {PhWd}	H1S	No H-spreading/Retr > Del
③ Phrase	H1S	No H-spreading/Retr > tolerated

## Avant: Notation

underlying H-tones are notated with  $\underline{v}$ , surface H-tones with  $\acute{v}$

(11)  $\acute{a}$ - $\underline{c}$  $\underline{h}$  $\underline{a}$ - $\underline{t}$  $\underline{e}$  $\underline{n}$  $\underline{g}$ - $\acute{a}$



## Illustrating examples: Spreading

- (12) H2S at ①, triggered by Obj  
 {[tí-táris-e]}  
 1PL/SUBJ-look-FV  
 ‘we would look’ (? , 870)
- (13) H1S at ②; triggered by clitic copula  
 {[í]-[sádza]}  
 COP-porridge  
 ‘(it) is porridge’ (? , 860)
- (14) H2S at ① and subsequent H1S at ③  
 {[ku]-[têng-és-á]} {[sádza]}  
 INF-buy-CAUS-FV porridge  
 ‘to sell porridge’ (? , 862)

## Illustrating examples: Avoidance of OCP by non-spreading

- (15) H1S at ②; triggered by clitic copula  
 {[i]-[sádza]}  
 COP-porridge  
 '(it) is porridge' (?, 860)
- (16) H1S at ② blocked if OCP would result  
 {[i]-[badzá]}  
 COP-hoe  
 '(it) is a hoe' (?, 860)

# Illustrating examples: Avoidance of OCP by Del

- (17) Del at ②  
 {[ndi-chá]-[teng-es-a]}  
 1.SG-FUT-buy-CAUS-FV  
 'I will sell' (? , 856)

(18)

$H^a$  [ndi cha]	$H^b$  [teng es a]	underlying representations
$H^a$  [ndi cha]	$H^b$  [teng es a]	①: Two macrostems
$H^a$  [ndi cha] [teng es a]		②: One PhWd

## Illustrating examples: Avoidance of OCP by Fus

- (19) Fus at ①  
{[ku]-[mú-téng-és-ér-a]}  
INF-OBJ-buy-CAUS-applied-FV  
'to sell him/her' (? , 869)

# Illustrating examples: Avoidance of OCP by Fus+Del

- (20) Del at ②, fed by Fus at ①  
 {[há]-[ti\_tenges-e]}  
 HORT-1PL/SUBJ-buy-CAUS-FV  
 'let us sell' (? , 870)

(21)

$H^a$   [ha]	$H^b$ $H^c$       [ti   teng   es   e]	underlying representations
$H^a$   [ha]	$H^{b,c}$ /   \ [ti   teng   es   e]	①: Two macrostems
$H^a$   [ha]	[ti   teng   es   e]	②: One PhWd



## Illustrating examples: Avoidance of OCP by Fus+Retr

(22) Retr at ②, fed by Fus at ①

{[á-cha]-[téng-á]}

3SG-FUT=buy-FV

's/he will buy' (? , 864)

(23)

$H^a$ $H^b$            a        cha	$H^c$   teng    a	underlying representations
$H^{a,b}$ /        \ a        cha	$H^c$          \ teng    a	①: Two macrostems
$H^{a,b}$   a        cha	$H^c$          \ teng    a	②: One PhWd

## Interaction of processes at different layers: More complex example

(24)

$\begin{array}{cc} H^a & H^b \\   &   \\ a & cha \end{array}$	$\begin{array}{cc} H^c & \\   & \\ teng & a \end{array}$	$\begin{array}{cc} H^d & H^e \\   &   \\ ba & nga \end{array}$	underlying representations
$\begin{array}{c} H^{a,b} \\ / \quad \backslash \\ a \quad cha \end{array}$	$\begin{array}{c} H^c \\   \quad \backslash \\ teng \quad a \end{array}$	$\begin{array}{c} H^{d,e} \\ / \quad \backslash \\ ba \quad nga \end{array}$	1: Three macrostems
$\begin{array}{ccc} H^{a,b} & & H^c \\   & & / \quad \backslash \\ a & cha & teng \quad a \end{array}$	$\begin{array}{c} H^{d,e} \\ / \quad \backslash \\ ba \quad nga \end{array}$	2: Two PhWd's	
$\begin{array}{ccc} H^{a,b} & H^c & H^{d,e} \\   &   & / \quad \backslash \\ a & cha & teng \quad a \quad ba \quad nga \end{array}$	3: One Phrase		

## Illustrating examples: OCP cannot be avoided

- (25) OCP tolerated if Retr impossible at ③
- {[badzá]} {[gúru]}
- hoe big
- ‘big hoe’ (? , 874, FN.21)

# Summary: Stratal Differences

(26)

	H-spread	OCP avoided by:
① [Macrostem]	H2S	No H-spreading/Retr > Fus
② {PhWd}	H1S	No H-spreading/Retr > Del
③ Phrase	H1S	No H-spreading/Retr > tolerated

# Harmonic Layer Theory

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# Background assumptions

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# Harmonic Layer Theory: Overview

- ☞ phonological evaluations at every **morphological layer**
- ☞ linguistic elements have **gradient activity** that results in gradient constraint violations (Gradient Symbolic Representations; =GSR)
- ☞ tones can **get stronger or weaker in every layer** and the ‘same’ tone can react differently to identical tonotactic problems in larger domains since it has different activity
- ➔ different phonological behaviour results from a **single phonological grammar**  
(=vs. stratal model (????) with optimizations at every stratum with a potentially *different grammar*)

## Background: Gradient Symbolic Representations (=GSR)

- ✎ all linguistic symbols have **activity** that can **gradiently** differ and 1 is the default activity (??)
- ✎ any change in activity is a faithfulness violation – different activities result in **gradient violations of faithfulness**
- ✎ elements can be gradiently active in the output and thus violate **markedness constraints gradiently**  
(??????)
- ✎ grammatical computation modeled inside **Harmonic Grammar** where constraints are weighted (??)



## GSR and constraint violations

- ☞ constraints are **violated/satisfied relative to the activity** of the relevant elements
- ☞ elements preferably have the default activity of 1 (= \*WEAK, \*STRONG)
- ☞ e.g. the underlyingly weakly active segment in (27)
  - ☞ is **easier to delete** than a fully active segment
  - ☞ is **costly to realize**
  - ☞ **tolerates more marked structures**

(27) Gradient activity=gradient constraint violations

$b_1a_1t_1p_{0.5}$	*WEAK 10	MAXS 10	DEPS 10	*CC 10	
a. $b_1a_1t_1p_1$			<b>-0.5</b>	<b>-1</b>	-15
b. $b_1a_1t_1p_{0.5}$	<b>-0.5</b>			<b>-0.75</b>	-12.5
c. $b_1a_1p_{0.5}$	<b>-0.5</b>	<b>-1</b>			-15
☞ d. $b_1a_1t_1$		<b>-0.5</b>			-5

Only fully active S

Faithful realization of weak S

Deletion of fully active S

Deletion of weakly active S

## GSR: Broader Context

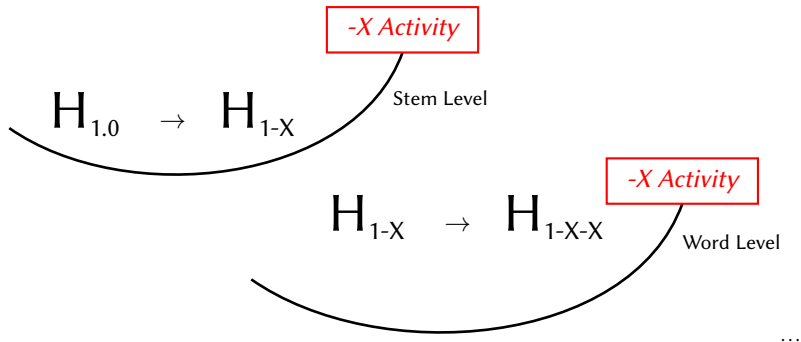
- ☞ that linguistic elements are not categorical but have strength differences is **not a new** idea  
(e.g. ? and ? for functional categories in syntax, ?: some lexical accent systems are based on scalar grades of accent strength,...)
- ☞ other work on non-categorical elements in **neural networks**  
(e.g. ? on induction of prosodic categories in neural networks)
- ☞ can also predict **phonetic gradience**  
(e.g. subphonemic gradience in word-final devoicing, nasal place assimilation, flapping (e.g. ?), vowel harmony is gradient (?),...)
- ☞ **different from a binary** distinction into strong/weak  
(????)
- ➔ here: predictions of **gradient (=numerical) phonological strength in an OT-system** as explanation for ‘exceptional’ behaviour

# General Arguments for GSR

1. Embedded in a general **computational architecture for cognition**  
(=Gradient Symbolic Computation, ?)
2. A **unified account** for different exceptional phonological behaviours:
  - liaison consonants in French (?)
  - semi-regularity of voicing in Japanese Rendaku (?)
  - allomorphy in Modern Hebrew (?)
  - lexical accent in Lithuanian (?)
  - tone sandhi in Oku (?)
  - tone allomorphy in San Miguel el Grande Mixtec (??)
  - lexical stress in Moses Columbian Salishan (?)
  - exceptional tone (non)spreading in San Molinos Mixtec (?)
  - interaction of phonological/lexical gemination/lenition in Italian (?)
  - compound stress in Sino-Japanese (?)
  - (interacting) ghost segments in Welsh (?)
  - ...

# HLT: Predictable loss/gain of activity at every layer

- constraint interaction can ensure that all instances of a certain element (e.g. H) **gain or loose a fixed amount of activity** at every optimization cycle



# A HLT account of Shona

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## Activity loss at every stratum

☞ constraint interaction ensures that all **H's decay** by 0.2 at every layer

(28) Predictable decay by 0.2

	INPUT	OUTPUT
①	$H_1$	$H_{0.8}$
②	$H_{0.8}$	$H_{0.6}$
③	$H_{0.6}$	$H_{0.4}$


(29)  $^*\Sigma_H$ : Assign -x violation for every  $H_x$ .

(30)  $|\Delta S| \leq 0$ : Assign -x violation for every input tone  $H_a$  corresponding to output tone  $H_b$  where  $a-b=x$  and  $x$  is  $> 0$ .


(31)  $|\Delta S| \leq 0.2$ : Assign -x violation for every input tone  $H_a$  corresponding to output tone  $H_b$  where  $a-b=x$  and  $x$  is  $> 0.2$ .

## Shona HLT account: Decrease of H-tone activation

(32) Macrostem level:  $H_{1.0} \rightarrow H_{0.8}$ 

$H_{1.0}$	$ \Delta\mathcal{S}  \leq 0.2$ $w=\infty$	MAX H $w=11$	$^*\Sigma_H$ $w=10$	$ \Delta\mathcal{S}  \leq 0$ $w=1$	$\mathcal{H}$
a. $H_{1.0}$			-1.0		-10
b. $\emptyset$		-1.0			-11
c. $H_{0.5}$	-0.5		-0.5	-0.5	$\infty$
 d. $H_{0.8}$			-0.8	-0.2	-8.2

(33) PhWd level:  $H_{0.8} \rightarrow H_{0.6}$ 

$H_{0.8}$	$ \Delta\mathcal{S}  \leq 0.2$ $w=\infty$	MAX H $w=11$	$^*\Sigma_H$ $w=10$	$ \Delta\mathcal{S}  \leq 0$ $w=1$	$\mathcal{H}$
a. $H_{0.8}$			-0.8		-8
b. $\emptyset$		-0.8			-8.8
c. $H_{0.5}$	-0.3		-0.5	-0.3	$\infty$
 d. $H_{0.6}$			-0.6	-0.2	6.2

## Different behaviour for spreading: In a nutshell

- 🍃 providing a TBU with a tone to avoid a violation of SPEC gets less helpful, the weaker the tone is

(34)

	INPUT		OUTPUT
1	H2S $H_1 - \acute{V} V V$	→	$H_{0.8} - \acute{V} \acute{V} \acute{V}$
			→ $0.8 \times \text{SPEC} > *H_{3\text{TBU}}$
2	H2S $H_{0.8} - \acute{V} V V$	→	$H_{0.6} - \acute{V} \acute{V} \acute{V}$
			→ $*H_{3\text{TBU}} > 0.6 \times \text{SPEC}$
3	H1S $H_{0.6} - \acute{V} V V$	→	$H_{0.4} - \acute{V} \acute{V} V$
			→ $*H_{3\text{TBU}} > 0.4 \times \text{SPEC}$




# Shona HLT account: Constraints I


- (35) SPECIFY  
Assign  $-(1-X)$  violation for every TBU associated with tone T with activity X  
(and no tone is  $X=0$ ).
- (36)  $*H_{2TBU}$   
Assign -1 violation for every tone that is associated to more than one TBU.
- (37)  $*H_{3TBU}$   
Assign -1 violation for every tone that is associated to more than two  
TBU's.

## Tableaux: H2S at 1 but H1S at 2

(38) 1: H2S


$H_{1.0} \vee \vee$	SPEC 90	* $H_{3TBU}$ 56	* $H_{2TBU}$ 1	$\mathcal{H}$
a. $H_{0.8} - \check{\vee} \vee \vee$	-2.2			-198
b. $H_{0.8} - \check{\vee} \check{\vee} \vee$	-1.4		-1.0	-127
 c. $H_{0.8} - \check{\vee} \check{\vee} \check{\vee}$	-0.6	-1.0	-1.0	-111

(39) 2: H1S


$H_{0.8} \vee \vee$	SPEC 90	* $H_{3TBU}$ 56	* $H_{2TBU}$ 1	$\mathcal{H}$
a. $H_{0.6} - \check{\vee} \vee \vee$	-2.4			-216
 b. $H_{0.6} - \check{\vee} \check{\vee} \vee$	-1.8		-1.0	-163
c. $H_{0.6} - \check{\vee} \check{\vee} \check{\vee}$	-1.2	-1.0	-1.0	-165

## Tableaux: H1S at 2 and 3

(40) 2: H1S, repeated

$H_{0.8} \vee \vee$	SPEC 90	* $H_{3TBU}$ 56	* $H_{2TBU}$ 1	$\mathcal{H}$
a. $H_{0.6} - \check{\vee} \vee \vee$	-2.4			-216
 b. $H_{0.6} - \check{\vee} \check{\vee} \vee$	-1.8		-1.0	-163
c. $H_{0.6} - \check{\vee} \check{\vee} \check{\vee}$	-1.2	-1.0	-1.0	-165

(41) 3: H1S

$H_{0.6} \vee \vee$	SPEC 90	* $H_{3TBU}$ 56	* $H_{2TBU}$ 1	$\mathcal{H}$
a. $H_{0.4} - \check{\vee} \vee \vee$	-2.6			-234
 b. $H_{0.4} - \check{\vee} \check{\vee} \vee$	-2.2		-1.0	-199
c. $H_{0.4} - \check{\vee} \check{\vee} \check{\vee}$	-1.8	-1.0	-1.0	-219

## Different behaviour for OCP problems: In a nutshell

🍃 the weaker the H, the cheaper deletion (and the more costly fusion)

🍃 the weaker the H, the easier it is to tolerate the OCP

(42)


	INPUT	OUTPUT
1 Fusion	$H_1 + H_1$	$\rightarrow (H_{0.8}H_{0.8})$
	$\rightarrow \text{MAX} > \text{UNIF}$	
	$\rightarrow 0.8x\text{OCP} > \text{MAX} / \text{UNIF}$	
2 Deletion	$H_{0.8} + H_{0.8}$	$\rightarrow H_{0.8}$
	$\rightarrow \text{UNIF} > 0.8x\text{MAX}$	
	$\rightarrow 0.6x\text{OCP} > 0.8x\text{MAX} / \text{UNIF}$	
3 -	$H_{0.6} + H_{0.6}$	$\rightarrow H_{0.6}H_{0.6}$
	$\rightarrow \text{UNIF} / 0.6x\text{MAX} > 0.4x\text{OCP}$	

## Shona HLT account: Constraints II


- (43) MAXT: Assign  $-x$  violation for every  $H_x$  in the input without an output correspondent.
- (44) OCP: Assign  $-\frac{x+y}{2}$  violation for every pair of adjacent tones  $H_x$  and  $H_y$  that are associated with adjacent TBU's.
- (45) UNIF: Assign  $-1$  violation for every pair of input tones corresponding to the same output tone.

## Tableaux: OCP resolution I

## (46) 1: Tone Fusion


$H_{1.0} H_{1.0}$	OCP 23	MAXT 16	UNIF 14	$\mathcal{H}$
a. $H_{0.8} H_{0.8}$	-0.8			-18.4
b. $H_{0.8}$		-1.0		-16
 c. ( $H_{0.8} H_{0.8}$ )			-1.0	-14

## (47) 2: Tone Deletion


$H_{0.8} H_{0.8}$	OCP 23	MAXT 16	UNIF 14	$\mathcal{H}$
a. $H_{0.6} H_{0.6}$	-0.6			-13.8
 b. $H_{0.6}$		-0.8		-12.8
c. ( $H_{0.6} H_{0.6}$ )			-1.0	-14

## Tableaux: OCP resolution II

(48) 2: Tone Deletion, repeated

$H_{0.8} H_{0.8}$	OCP 23	MAXT 16	UNIF 14	$\mathcal{H}$
a. $H_{0.6} H_{0.6}$	-0.6			-13.8
 b. $H_{0.6}$		-0.8		-12.8
c. ( $H_{0.6} H_{0.6}$ )			-1.0	-14

(49) 3: OCP violation tolerated

$H_{0.6} H_{0.6}$	OCP 23	MAXT 16	UNIF 14	$\mathcal{H}$
 a. $H_{0.4} H_{0.4}$	-0.4			-9.2
b. $H_{0.4}$		-0.6		-9.6
c. ( $H_{0.4} H_{0.4}$ )			-1.0	-14

# HLT account of Shona

- loosing 0.2 activity at each optimization predicts the different phonological behaviours in Shona from a **single grammar**



# Discussion

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# Predictions of HLT

🍃 in contrast to accounts based on multiple grammars, HLT makes several testable predictions:

P1 **Monotonicity** of phonological changes across strata

P2 **Consistency** of strength in a given stratum

P3 Pervasiveness (and cyclicity) of **Cooperation**

# P1: Monotonicity

Representations become monotonically stronger or weaker  
 + single constant grammar  
 = monotonicity of phonological behaviour

(50) Monotonicity of thresholds for phonological behavior in HLT

$T_x$  → Phonological behavior 1

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WEAKER: THRESHOLD 1

$T_{x-y}$  → Phonological behavior 2

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WEAKER: THRESHOLD 2

$T_{x-y-z}$  → Phonological behavior 3

# P1: Monotonicity in Shona

(51) The Shona pattern

	OCP:	H-spread
① [Macrostem]	Fus	H2S
② {PhWd}	Del	H1S
③ Phrase	tolerated	H1S

(52) Impossible in HLT

	OCP:	H-spread
① [Macrostem]	Fus	H2S
② {PhWd}	Del	H1S
③ Phrase	Fus	H1S

(53) No monotonicity with stratum-specific rankings

Macrostem Level: MaxH  $\gg$  OCP  
 PhWd Level: OCP  $\gg$  MaxH  
 Phrase Level: MaxH  $\gg$  OCP

## P2: Consistency of strength

Different repairs for elements must be contingent with their input strength since constraint weighting remains constant.

(54) Consistency-obeying: Giphende Nominal Morphology

Citation Form:	a. L-LL	b. L-LH	c. L-HL	d. L-HH
Focus:	H-HL	L-LH	L-HL	L-HH
Genitive:	H-HL	H-LH	L-HL	L-HH
Predicative:	H-HL	H-LH	H-HL	H-HH

(55) Consistency-violating: Construction-specific rankings

		<b>H</b> ] <sub>PrWd</sub>	<b>HH</b>
Construction 1	$M_1 \gg F \gg M_2$	Deletion	No deletion
Construction 2	$M_2 \gg F \gg M_1$	No Deletion	Deletion

## P3: Pervasiveness of Cooperation

Multilateral conditioning of morphophonological processes: Fused phonological material of different strength may contribute cumulatively to phonological behavior

- Lexical conditioning is the existence of weak elements that need to undergo fusion with another weak element

(56) Cooperation as lexical idiosyncrasy

a. 
$$\begin{array}{ccc} & H_{0.5} & \\ \sigma & \sigma & - \sigma \end{array} \rightarrow \begin{array}{ccc} \sigma & \sigma & \sigma \end{array}$$

b. 
$$\begin{array}{ccc} & H_{0.5} & H_{0.5} \\ \sigma & \sigma & - \sigma \end{array} \rightarrow \begin{array}{ccc} & & H_1 \\ \sigma & \sigma & | \\ & & \sigma \end{array}$$

# Summary

- ✦ HLT predicts inter-stratal conspiracies as in Shona from a **single grammar** if elements can consistently lose/gain activity at every optimization step
- ✦ In contrast to accounts based on multiple grammars, it makes **testable predictions** about possible different behaviours within a language

# References I